

Case Studies #3
Answers
Spring 2005

1. B.F. is a 5' 4", 72 kg, 30 year old female who suffered a severe burn that has since been infected by *S. aureus*. Her $C_{p_{creat}}$ is measured at 0.6 mg/dL. Design a dosing regimen of half-hour i.v. infusions of gentamicin that will give her a true C_{max} of 7.5 μ g/ml and a true trough concentration of 0.5 μ g/ml.

First calculate τ , but in order to calculate τ you will need k_e , and for k_e you will need to know Cl_{creat} and her ideal body weight.

$$IBW = 45.5 + 4 * 2.3 = 54.7 \text{ kg}$$

$$Cl_{creat} = \frac{(140 - 30) * 54.7}{85 * 0.6} = 118 \text{ ml/min or } 7.1 \text{ L/hr}$$

$$k_e = .00293 (118) + 0.014 = 0.36 \text{ h}^{-1} \text{ or } k_e = Cl / V = 7.1 / 15.4 (\text{from below}) = .46 \text{ h}^{-1}$$

$$\tau = \frac{\ln(7.5/0.5)}{0.36} = 7.52 \text{ hr} \sim 8 \text{ hrs or } 5.88 \sim 6 \text{ hours if } .46 \text{ is used as } k_e$$

In order to calculate the dose you will first need to estimate the V_d , for this you will need the dosing weight.

$$\text{Dosing weight} = 54.7 \text{ kg} + 0.4(72 \text{ kg} - 54.7 \text{ kg}) = 61.6 \text{ kg}$$

$$V_d = 0.25 (61.6) = 15.4 \text{ L}$$

$$D = 7.5 * (0.36) * 15.4 * (0.5) * \frac{(1 - e^{(-0.36 * 8)})}{(1 - e^{(-0.36 * 0.5)})} = 119 \sim 120 \text{ mg every 8 hours}$$

or

$$D = 7.5 * (0.46) * 15.4 * (0.5) * \frac{(1 - e^{(-0.46 * 6)})}{(1 - e^{(-0.46 * 0.5)})} = 121.1 \sim 120 \text{ mg every 6 hours}$$

2. B.F. is given the infusion you recommended at 8:00 am. At 9:00 am a plasma sample is taken and yields a $C_{p_{max}}^*$ of 9.2 μ g/ml. Another sample is taken one half hour before the next infusion to give a $C_{p_{min}}^*$ of 2.4 μ g/ml. Calculate the actual k_e and V_d for B.F. and recommend a dosing change to give a true C_{max} of 7.5 μ g/ml. What is the new true C_{min} expected with this dosing change.

First calculate the ke

$$k_e = \frac{\ln(9.2/2.4)}{(15:30-9:00)} = 1.34/6.5\text{hrs} = 0.21 \text{ h}^{-1}$$

$$\text{or } k_e = \frac{\ln(9.2/2.4)}{(13:30-9:00)} = 1.34/4.5\text{hrs} = 0.30 \text{ h}^{-1}$$

Next in order to calculate the Vd you must calculate the true C_{\max} and C_{\min}

$$C_{\max} = 9.2/e^{-0.21*0.5} = 10.2 \mu\text{g/ml for an 8h } \tau \text{ or with a 6h } \tau \text{ 10.7 mg/ml}$$
$$C_{\min} = 2.4 * e^{-0.21*0.5} = 2.1 \mu\text{g/ml for an 8h } \tau \text{ or with a 6 hr } \tau \text{ 2.1 mg/ml}$$

Now you can calculate a Vd

$$V_d = \frac{120}{(0.21*0.5)} * \frac{(1 - e^{-0.21*0.5})}{(10.2 - 2.1e^{-0.21*0.5})} = 13.7\text{L}$$

or with a 6 h τ

$$V_d = \frac{120}{(0.30*0.5)} * \frac{(1 - e^{-0.30*0.5})}{(10.7 - 2.1e^{-0.30*0.5})} = 12.5\text{L}$$

Now you can calculate the new dose.

$$D = 7.5 * 0.21 * 13.7 * 0.5 * \frac{(1 - e^{-0.21*8})}{(1 - e^{-0.21*0.5})} = 88 \text{ mg} \sim 90\text{mg}$$

or with a 6 hr τ

$$D = 7.5 * 0.30 * 12.5 * 0.5 * \frac{(1 - e^{-0.30*6})}{(1 - e^{-0.30*0.5})} = 84.3 \text{ mg} \sim 85\text{mg}$$

Now for your new C_{\min}

$$C_{\min} = 7.5 * e^{-0.21*(8-0.5)} = 1.6 \mu\text{g/ml}$$

or with a 6 hr τ

$$C_{\min} = 7.5 * e^{-0.3*(6-0.5)} = 1.4 \mu\text{g/ml}$$

3. I.P. is admitted to the hospital after a major auto accident. At admission he weighed 71kg, and is 5'9". The day following surgery I.P. weighs 76kg and is suffering from an infection. At 10:00 am he is given a half an hour infusion of 350mg of amikacin.
- Predict his volume of distribution.
 - What will his plasma concentration be at 3:00pm if his creatinine clearance is 7.2 L/hr or 120ml/min?

a. First calculate his ideal body weight.

$$\text{IBW} = 50 + 2.3 * 9 = 70.7 \text{ kg} \sim 71 \text{ kg}$$

$$\text{ESF} = 76 - 71 = 5 \text{ L}$$

Now for Vd

$$\text{Vd} = 0.25 (71) + 5 = 22.8 \text{ L}$$

b. Now for C_{\min} @ 3:00 you must first calculate C_{\max} . But first You need the ke.

$$k_e = 7.2/22.8 = 0.32 \text{ hr}^{-1} \text{ or } k_e = 0.00293(120) + 0.014 = 0.37$$

$$C_{\max} = \frac{350}{7.2 * 0.5} * (1 - e^{-0.32 * 0.5}) = 14.4 \text{ mg/L or if } k_e = 0.37 \text{ } C_{\max} = 16.4 \text{ mg/ml}$$

For C_{\min} ,

$$C_{\min} = 14.4 e^{-0.32 * 4.5} = 2.9 \text{ mg/L or if } k_e = 0.37 \text{ } C_{\min} = 2.6 \text{ mg/L}$$

4. G.W., a 30 year old, 50kg man, is receiving 70 mg of tobramycin infused IV over a 30 minute period every 8 hours. His serum creatinine has increased from 1mg/dl to 2mg/dl over the past 24 hours. Because his renal function appears to be decreasing, three plasma samples were obtained to monitor serum gentamicin concentrations as follows: just before a dose, 1 hour after the end of the infusion, and at the end of the dosing interval (two troughs and one peak level). The serum gentamicin concentrations at these times were 4mg/L, 8mg/L, and 5mg/L. Calculate the volume of distribution, elimination rate constant and clearance of tobramycin for G.W.

First calculate the k_e from the 2 concentrations during the elimination phase,

$k_e = (\ln(8/5)) / 6.5 = 0.072$ this corresponds to a half life of 9.63 hours suggesting that little drug is lost during the infusion, so we can treat as a bolus dose.

To calculate the V_d we first need the C_{max} .

$$C_{max} = 8 / (e^{-0.072 * 1}) = 7.44 \text{ mg/L}$$

Now for the V_d , use the trough value that is measured just before the peak.

$$V_d = 70 / (8.6 - 4) = 15.2 \text{ L} \quad \text{or} \quad V_d = \frac{70}{0.072 * 0.5} * \frac{(1 - e^{-0.072 * 0.5})}{(8.6 - 4e^{-0.072 * 0.5})} = 14.5 \text{ L}$$

The V_d and k_e can now be used to calculate the Cl ,

$$Cl = 0.072 * 15.2 = 1.09 \text{ L/h} \quad \text{or} \quad 0.072 * 14.6 = 1.04 \text{ L/h}$$

5. H.K., 55 year old, 55kg woman with a serum creatinine of 1.0mg/dl, has been empirically started on 500mg of vancomycin every 8 hours for treatment of a staphylococcal infection. What are the expected peak and trough vancomycin concentrations for H.K.

First, the V_d , Cl and k_e must be calculated.

For the V_d ,

$$V_d = 0.17(55 \text{ years}) + 0.22(55 \text{ kg}) + 15 = 36.5 \text{ L}$$

Creatinine clearance can be used to estimate her Cl

$$Cl_{creat} = \frac{(140 - 55) * 55}{72} = 55.0 \text{ ml/min} = 3.3 \text{ L/h} \sim Cl$$

$$85 \times 1.0$$

Now k_e can be determined

$$K_e = 3.31/36.5 = 0.091 \text{ h}^{-1}$$

Now you can determine peak and trough concentrations

$$C_{ss \text{ max}} = \frac{(500/36.5)}{(1 - e^{-0.091 \times 8})} = 26.5 \text{ mg/L}$$

$$C_{ss \text{ min}} = 26.5e^{-0.091 \times 8} = 12.8 \text{ mg/L}$$